

Performance Evaluation of Visible Digital Image Watermarking Algorithms

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ABSTRACT

Multimedia data has become much easier to access due to the rapid growth of the Internet. While this is usually considered an improvement in everyday lifestyle, it also makes unauthorized copying and distributing of multimedia images, data much easier, therefore presenting a challenge in the field of copyright protection i.e. digital watermarking. Which involves insertion of copyright information/images into the cover image, has been proposed to solve the problem. To embed the watermark robustly and imperceptibly, watermark bits are added to the significant coefficients of each sub band selected by considering the human visual system (HVS) characteristics. This paper, discuss the features and concepts pertaining to the three popular visible watermarking algorithms and analyze them with metrics such as MSE and PSNR i.e. a) wavelet based watermarking technique b) Tian's difference expansion technique c) LSB – prediction error expansion technique. We have discussed *wavelet based algorithm*, a classical and best suitable for compression but suffer from very low PSNR value due to multi resolution nature and dependability on the quality of the input cover image and the embedding image.

Tian's difference-expansion technique is a high-capacity, reversible method for data embedding. However, the method suffers from undesirable distortion at low

embedding capacities and lack of capacity control due to the need for embedding a location map.

It is recommended to adopt new reversible data-embedding technique called *Least Significant Bit prediction-error expansion* which better exploits the correlation inherent in the neighborhood of a pixel and provides an effective method for data embedding than the difference-expansion scheme.

The experimental results for many Benchmark/ Popular test images show that LSB prediction-error expansion doubles the maximum embedding capacity and involves significantly less computational complexity with higher PSNR value but also imposes various stages of difficulty to an intruder who intends to extract the original image from the encrypted sub-blocks when compared to other algorithms.

Index Terms—Difference Expansion, Data Embedding, Reversible Watermark, Wavelet, Peak Signal-to-Noise-Ratio, Mean Square Error, Least Significance Bit.

I. INTRODUCTION

Digital Watermarking[4][6][5] is a method of embedding useful information into a cover image (i.e. image, video or audio) for the purpose of copy control, content authentication, distribution tracking, broadcasting monitoring etc [7]. There are plenty of methods which ensures the embedding and extraction of images resulting in a reversible process[14][10].

Also referred to as simply watermark, a pattern of bits inserted into a digital image, audio, video or text file that

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identifies the file's copyright information (author, rights, etc.). Researchers try to invent techniques that increase the security, capacity, and Imperceptibility of watermarked images. This paper assesses a new image watermarking technique that can embed more number of watermark bits in the cover image without affecting the imperceptibility an. *Why we need digital watermarking?* [7] to answer this question we consider one situation. Suppose a person X creates an Image and publish it on the web. A person Y with bad Intentions steals the Image, maybe modify it little bit and then start selling, as it was his own. X notices that Y is selling his Image. But how can he prove that he is really the owner and make Y to pay him a lot of money as penalty. Many solutions are there to solve this problem like digital signatures. But these solutions need additional bandwidth [8][12]. So, Due to limitations of the traditional copyright protection System, a new technique came in existence. This technique is known as digital Watermarking. Figure 1 shows the Motivations behind digital watermarking that increases the security of watermarks and digital contents[17][2][14].

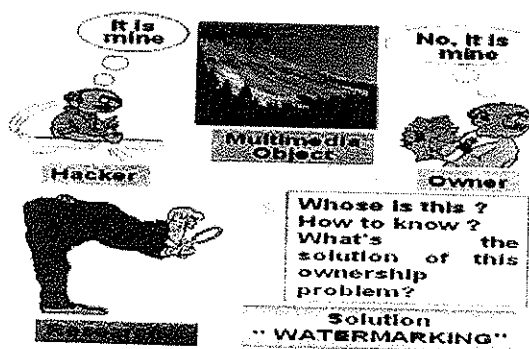


Figure 1 : Motivations behind digital watermarking

A) Wavelet Based WaterMarking Algorithm

A wavelet is a mathematical function [8][9] used to divide a given function or continuous-time signal into different frequency components and study each component with a

resolution that matches its scale. A wavelet transform is the representation of a function by wavelets. The wavelets are scaled and translated copies (known as "daughter wavelets") of a finite-length or fast-decaying oscillating waveform (known as the "mother wavelet"). Wavelet transforms have advantages over traditional Fourier transforms for representing functions that have discontinuities and sharp peaks, and for accurately deconstructing and reconstructing finite, non-periodic and/or non-stationary signals[13].

Wavelet Basis

The fundamental idea behind wavelets [3] is to analyze according to scale. Wavelets are functions that satisfy certain mathematical requirements and are used in representing data or other functions. However, in wavelet analysis, the *scale* that we use to look at data plays a special role. Wavelet algorithms process data at different *scales* or *resolutions*. If we look at a signal with a large window, we would notice gross features. Similarly, if we look at a signal with a small window, we would notice small features. The result in wavelet analysis is to see both the forest *and* the trees.

Wavelet function

The wavelet only has a time domain representation as the wavelet function $\phi(t)$. For instance, Mexican hat wavelets can be defined by a wavelet function.

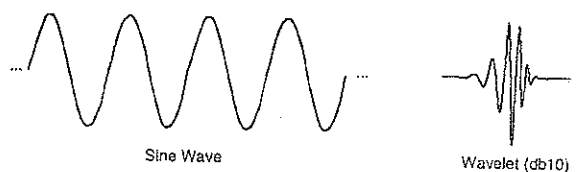


Figure 2. Wavelet Basis

A wavelet is a waveform of effectively limited duration that has an average value of zero. Multiplying each coefficient by the appropriately scaled and shifted wavelet yields the constituent wavelet of the original signal:

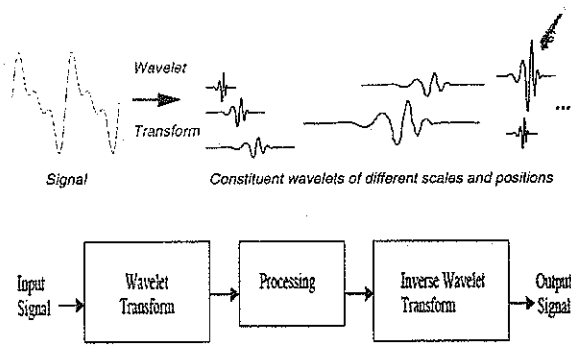


Figure 3 : Wavelet Scales and Signal Processing Application using Wavelet Transform

- Wavelet transform decomposes a signal into a set of basis functions[8].
- These basis functions are called *wavelets*.
- Wavelets are obtained from a single prototype wavelet $y(t)$ called *mother wavelet* by *dilations* and *shifting*.

where a is the scaling parameter and b is the shifting parameter.

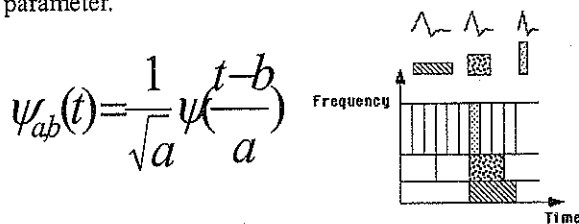


Figure 4. Wavelet Expression and Daubechies wavelet basis functions, coverage of the time-frequency plane.

An advantage of wavelet transforms [16] is that the windows vary. In order to isolate signal discontinuities, one would like to have some very short basis functions. Figure 3. Shows the coverage in the time-frequency plane with one wavelet function, the Daubechies wavelet [figure 4]. Wavelet transforms have an infinite set of possible basis functions. Thus, wavelet analysis provides immediate access to information that can be obscured by other time-frequency methods such as Fourier analysis. **Multi-Resolution Analysis using Filter Banks:** Filters are one of the most widely used signal processing

functions. Wavelets can be realized by iteration of filters with rescaling. The resolution of the signal, which is a measure of the amount of detail information in the signal, is determined by the filtering operations, and the scale is determined by up sampling and down sampling (sub sampling) operations. The Discrete Wavelet Transform is computed by successive low pass and high pass filtering (figure 6,7). The signal is denoted by the sequence $x[n]$ decomposing in to approximations and details i.e. the low pass filter is denoted by G while the high pass filter is denoted by H .

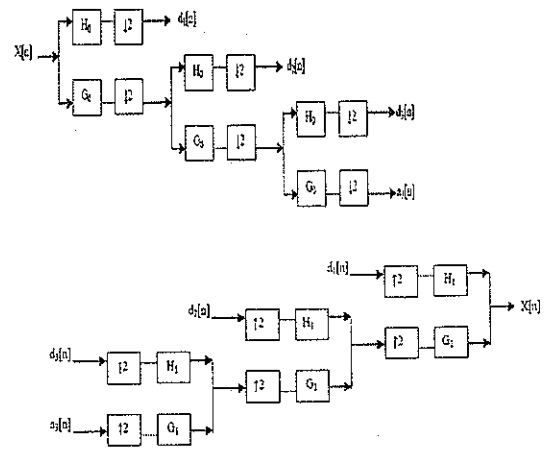


Figure 5. Image Decomposition and Re-construction

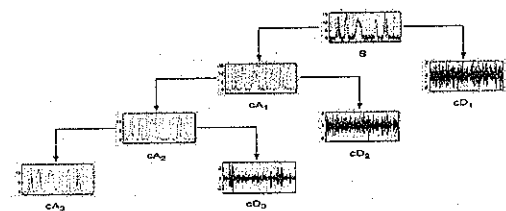


Figure 6 : Discrete Wavelet Transformation / De-Noising/Compression

The filtering[16] and decimation process is continued until the desired level is reached. The maximum number of levels depends on the length of the signal. The DWT of the original signal is then obtained by concatenating all the coefficients, $a[n]$ and $d[n]$, starting from the last level of decomposition.

B) Tian's Difference Expansion – Fundamental

A reversible watermarking algorithm with very high data hiding capacity [1][7][11] has been developed for color images. The Tian's algorithm allows the watermarking process to be reversed, which restores the exact original image. The algorithm hides several bits in the difference expansion of vectors of adjacent pixels [6]. The required general reversible integer transform and the necessary conditions to avoid underflow and overflow are derived for any vector of arbitrary length. Also, the potential payload size that can be embedded into a host image is discussed, and a feedback system for controlling this size is developed. In addition, to maximize the amount of data that can be hidden into an image, the embedding algorithm can be applied recursively across the color components. Simulation results using spatial triplets, spatial quads, cross-color triplets, and cross-color quads are presented and compared with the existing reversible watermarking algorithms[3]. These results indicate that the spatial quad-based algorithm allows for hiding the largest payload at the highest Peak -signal-to-noise ratio (PSNR)[11][12].

Here, we extend Tian's algorithm using difference expansion of vectors, instead of pairs, to increase the hiding ability and the computation efficiency of the algorithm. This approach allows the algorithm to embed several bits in every vector in a single pass through the image data.

GENERALIZED DIFFERENCE EXPANSION

Vector : the vector $u = (u_0, u_1, \dots, u_{N-1})$ is formed from pixel values chosen from different locations within the same color component according to a predetermined order[1]. This order may serve as a security key. The simplest way to form this vector is to consider every set of a adjacent pixel values as shown in

Fig. 7 as a vector. The width and the height of the host image, respectively, then $1 \leq a \leq h$, $1 \leq b \leq w$, and $a+b \neq 2$ [6].

For simplicity, we require that each color component be treated independently and, hence, have its own set of vectors. Also, we require that vectors do not overlap each other i.e., each pixel exists in only one vector. These requirements may be removed at the expense of complicating the watermarking

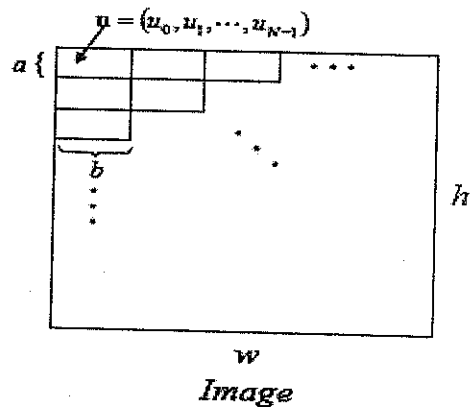


Figure 7 : Vector Configuration in an Image

algorithm due to the extra caution required to determine the processing order of the overlapped vectors [2].

Reversible Integer Transform : The forward difference expansion transform [2], for the vector is defined as : $u = (u_0, u_1, \dots, u_{N-1})$

$$v_0 = \left\lfloor \frac{\sum_{i=0}^{N-1} a_i u_i}{N-1} \right\rfloor$$

$$v_1 = u_1 - u_0$$

$$\vdots$$

$$v_{N-1} = u_{N-1} - u_0$$

Where $\lfloor \cdot \rfloor$ is the least nearest integer, and is constant integer. Obviously, v_0 is the weighted average of the entities of the vector u , while v_1, v_2, \dots, v_{N-1} are the differences between u_1, u_2, \dots, u_{N-1} and u_0 respectively.

The inverse difference expansion transform, for the transformed vector [2], $v=(v_0, v_1, \dots, v_{N-1})$ as defined as:

$$u_0 = v_0 - \left[\frac{\sum_{i=1}^{N-1} a_i v_i}{\sum_{i=1}^{N-1} a_i} \right]$$

$$u_1 = v_1 + u_0$$

$$\vdots$$

$$u_{N-1} = v_{N-1} + u_0.$$

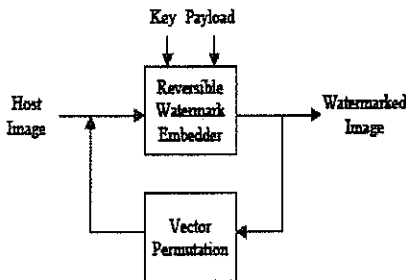


Figure 8: Recursive embedding of the reversible watermark

The DE embedding technique involves pairing the pixels of the host image and transforming them into a low-pass image L containing the integer averages and a high-pass image H containing the pixel differences h . If a and b be the intensity values of a pixel-pair, then 'l' and 'h' are defined [2] as

$$l = [(a + b) / 2] \tag{1}$$

$$h = a - b \tag{2}, \quad a = l + [h+1]/2 \tag{3}, \quad b = l - [h/2] \tag{4}$$

This transformation is invertible, so that the gray levels a and b can be computed from l and h .

Appending it to the LSB of the difference, thus creating a new LSB embeds an information bit. The watermarked difference is $h_w = 2h + i$ (5)

Apart from the DE embedding technique, Tian's algorithm also uses an embedding technique called LSB replacement. In the LSB-replacement embedding technique, the LSB of the difference is replaced with an information bit. This is a lossy embedding technique since

the true LSB is overwritten in the embedding process. However, in Tian's scheme, the true LSBs of the differences that are embedded by LSB-replacement are saved and embedded with the payload, to ensure lossless reconstruction.

C) Fundamental of Least Significant Bit Error Prediction

Method

The most straightforward method of watermark embedding would be to embed the watermark into the least significant bits of the cover object [7]. Given the extraordinarily high channel capacity of using the entire cover for transmission in this method, a smaller object may be embedded multiple times. Even if most of these are lost due to attacks, a single surviving watermark would be considered a success. LSB substitution however despite its simplicity brings a host of drawbacks. Although it may survive transformations such as cropping, any addition of noise or lossy compression is likely to defeat the watermark.

An even better attack would be to simply set the LSB bits of each pixel to one fully defeating the watermark with negligible impact on the cover object. Furthermore, once the algorithm is discovered, an intermediate party could easily modify the embedded watermark[7][10].

```
Image:      11001010 00110101 00011010 00000000 ...
Watermark:      1      1      1      0..
Watermarked Image:
              11001011 00110101 00011011 00000000 ...
```

This reversibility enables the recovery of the original host content upon verification of the authenticity of the received content. The algorithm exploits the correlation inherent among the neighboring pixels in an image region using a predictor. The prediction-error at each

location is calculated and, depending on the amount of information to be embedded, locations are selected for embedding. Data embedding is done by expanding the prediction-error values. LSB Algorithm exploits the redundancy in the image to achieve very high data embedding rates while keeping the resulting distortion low

II. IMPLEMENTATION DETAILS

A. Test Images

We have implemented three algorithms based on our proposal to investigate the performance of the algorithms based on PSNR values computed. we have considered 21 samples of Benchmark and other commonly used images both (color and grey-scale) to ascertain the quality of watermarking process including reversibility nature among the three[8][5].

B. Capacity Versus Distortion – Performance

The different points are obtained on the peak of the bar chart mentioned afore which are Calculated in order to establish the variation of the psnr[11][17] values with reference to the images and the chosen algorithm. The computation of **Peak Signal-to-Noise Ratio (PSNR)** for all the three algorithms i.e between host and watermarked images is used to measured the distortion between the two images.

The PSNR block computes the peak signal-to-noise ratio, in decibels(dB), between two images. This ratio is often used as a quality measurement between the original and a compressed image. The higher the PSNR, the better the quality of the watermarked/compressed image[1][4]. To compute the PSNR, the block first calculates the mean-squared error using the following equation:

Mean Square Error(mse) – Calculated between the input and output Images.

$$mse = \sum_{m,n} ([I_1(m,n) - I_2(m,n)]^2 / \text{Prod. Of rows , cols})$$

m,n
OR

$$mse = \text{sum} ((\text{sum} ((\text{abs} (\text{watt} - \text{orig})) * \text{abs} (\text{watt} - \text{orig})))) / m * n;$$

$$PSNR = \text{abs} (20 * \log_{10} (255 / \text{sqrt} (mse)))$$

In the above equation, m, n are the rows and columns in the input images, respectively.

C. Algorithm for Wavelet Based WaterMarking Method

Step1: Read two test images named image1 and 2.

Step2 : Apply discrete wavelet transform on both test images.

Step3 : Consider the approximation for image 1(image to be watermarked).

Step4 : Consider the diagonal/horizontal parameter for image 2(watermark).

Step5: Sum up Approximation of image1 and details of image2 to get watermarked images.

Step6: To obtain the watermark and original image we subject the watermarked image to inverse discrete wavelet transform components.

Step7: Apply a low pass filter on the Approximation components to get cover image1 and apply low pass filter on Details to get the watermark (i.e image2).

D. Algorithm for Tian's Difference Expansion method

- Step1: Take the input images, Original (cover image) and image to be embedded
- Step2: Divide the images into R, G, and B components
- Step3: Apply the Difference Expansion Equations to the image to be embedded
- Step 4: Based on rgb vectors compute the values of image to be embedded
- Step5: Add this image to the original image (cover image)
- Step6: Now we get the watermarked image
- Step7: Apply Tian's Inverse Difference Expansion to the watermarked image to get embedded image
- Step 8: Subtract embedded image from watermarked image to get the original image

E. Algorithm for Least Significance Bit - Prediction Error

- Step 1: Consider the two input images.
- Step 2: Convert the two images into gray color.
- Step 3: Divide the original image1 by two.
- Step 4: Find out the LSB of original image and the divided image .
- Step 5: Add the two LSB images and sort the divided image in descending order.
- Step 6: Now add the LSB predicted image and original image 2.
- Step 7: And the result is Watermarked image.
- Step 8: In decoding process add the LSB predicted image to the divided image and get image1

Step 9: Now subtract the original image1 from the Watermarked image we get Hidden image2 .

Test -Image Sets And Results

| SET-1 | | | PSNR |
|-----------|----------------|----------------|-----------|
| Algorithm | Input Image1 | Input Image2 | Value(dB) |
| Wavelet | Baboon.png | Monarch.png | 20.416dB |
| Tian's | Baboon.png | Monarch.png | 26.770dB |
| LSB | Baboon.png | Monarch.png | 29.696dB |
| SET-2 | | | |
| Wavelet | Lenna.png | Barabra.png | 20.92dB |
| Tian's | Lenna.png | Barabra.png | 20.91dB |
| LSB | Lenna.png | Barabra.png | 30.09dB |
| SET-3 | | | |
| Wavelet | Watch.png | Venus.jpg | 12.100dB |
| Tian's | Watch.png | Venus.jpg | 11.222dB |
| LSB | Watch.png | Venus.jpg | 19.261dB |
| SET-4 | | | |
| Wavelet | Boy.jpg | Girl.jpg | 15.167dB |
| Tian's | Boy.jpg | Girl.jpg | 18.176dB |
| LSB | Boy.jpg | Girl.jpg | 22.23dB |
| SET-5 | | | |
| Wavelet | Baby.jpg | Barbara.png | 23.693dB |
| Tian's | Baby.jpg | Barbara.png | 24.918dB |
| LSB | Baby.jpg | Barbara.png | 30.094dB |
| SET-6 | | | |
| Wavelet | Waterlil.jpg | Tulips.jpg | 16.933dB |
| Tian's | Waterlil.jpg | Tulips.jpg | 21.174dB |
| LSB | Waterlil.jpg | Tulips.jpg | 30.193dB |
| SET-7 | | | |
| Wavelet | Boy.jpg | Lenna.png | 19.572dB |
| Tian's | | Lenna.png | 19.728dB |
| LSB | Boy.jpg | Lenna.png | 27.521dB |
| SET-8 | | | |
| Wavelet | Winter.jpg | Redmndrt.jpg | 17.082dB |
| Tian's | Winter.jpg | Redrandrt.jpg | 27.490dB |
| LSB | Winter.jpg | Redmndrt.jpg | 27.601dB |
| SET-9 | | | |
| Wavelets | Blue_hill.jpg | Boeing747.jpg | 18.999dB |
| Tian's | Blue_hill.jpg | Bocing747.jpg | 26.4902dB |
| LSB | Blue_hill.jpg | Boeing747.jpg | 29.8766dB |
| SET-10 | | | |
| Wavelets | Peppersbig.png | Peppersclr.png | 19.8892dB |
| Tian's | Peppersbig.png | Peppersclr.png | 23.5248dB |
| LSB | Peppersbig.png | Peppersclr.png | 23.9566dB |
| SET-11 | | | |
| Wavelet | Loopsync.jpg | Redmndsr.jpg | 20.9188dB |
| Tian's | Loopsync.jpg | Redmndsr.jpg | 27.3200dB |
| LSB | Loopsync.jpg | Redmndsr.jpg | 27.3744dB |

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| | | | |
|----------|------------------|----------------|-----------|
| SET - 12 | | | |
| Wavelets | Arielandscp.jpg | Matlogo.png | 19.8014dB |
| Tian's | Arielandscp.jpg | Matlogo.png | 25.0049dB |
| LSB | Arielandscp.jpg | Matlogo.png | 29.9621dB |
| SET-13 | | | |
| Wavelet | Gandhimarc.jpg | Baby1.jpg | 21.420dB |
| Tian's | Gandhimarc.jpg | Baby1.jpg | 19.0563dB |
| LSB | Gandhimarc.jpg | Baby1.jpg | 30.5019dB |
| SET-14 | | | |
| Wavelet | Green_tree.jpg | Babies.jpg | 22.1449dB |
| Tian's | Green_tree.jpg | Babies.jpg | 29.7299dB |
| LSB | Green_tree.jpg | Babies.jpg | 34.0230dB |
| SET-15 | | | |
| Wavelet | Redmoondsr.jpg | Charlesbab.jpg | 19.232dB |
| Tian's | Redmoondsr.jpg | Charlesbab.jpg | 22.901dB |
| LSB | Redmoondsr.jpg | Charlesbab.jpg | 29.899dB |
| SET-16 | | | |
| Wavelet | Lenna.png | Baboon.png | 18.3516dB |
| Tian's | Lenna.png | Baboon.png | 18.9176dB |
| LSB | Lenna.png | Baboon.png | 27.7402dB |
| SET-17 | | | |
| Wavelet | Monarch.png | Fruits.png | 16.9914dB |
| Tian's | Monarch.png | Fruits.png | 20.3226dB |
| LSB | Monarch.png | Fruits.png | 29.7612dB |
| SET- 18 | | | |
| Wavelet | Earthfrmspac.jpg | CharlesBab.jpg | 7.5902dB |
| Tian's | Earthfrmspac.jpg | CharlesBab.jpg | 17.4263dB |
| LSB | Earthfrmspac.jpg | CharlesBab.jpg | 27.8397dB |
| SET-19 | | | |
| Wavelet | Peppers.png | Lenna.png | 18.2927dB |
| Tian's | Peppers.png | Lenna.png | 20.3680dB |
| LSB | Peppers.png | Lenna.png | 25.5196dB |
| SET-20 | | | |
| Wavelet | Watch.png | Tulip.jpg | 16.1846dB |
| Tian's | Watch.png | Tulip.jpg | 21.2555dB |
| LSB | Watch.png | Tulip.jpg | 30.1931dB |
| SET-21 | | | |
| Wavelet | Monarch.png | Tulip.jpg | 18.7592dB |
| Tian's | Monarch.png | Tulip.jpg | 20.7015dB |
| LSB | Monarch.png | Tulip.jpg | 30.1927dB |

PSNR Value (db)

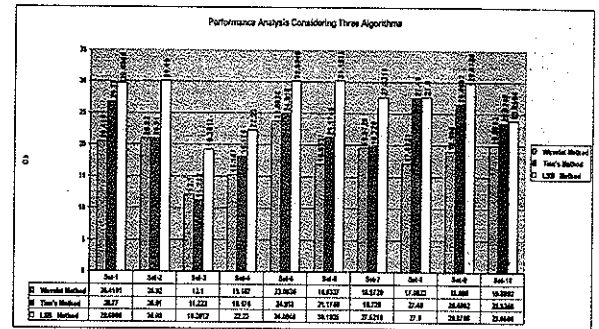


Figure 9a. Performance Comparison of Algorithms based on Computed PSNR Values.

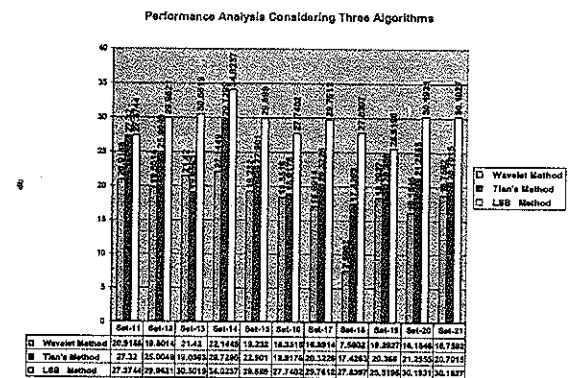


Figure 9b. Performance Comparison of Algorithms based on Computed PSNR values.

A. Findings / Analysis based on Implementation of the three Algorithms.

- * The images with different Image formats showcases Lower PSNR values i.e. around 20dB.
- * The images with same image formats showcases higher PSNR values i.e. above 30dB.
- * The Benchmark Images has revealed better PSNR values comparatively.

VI. CONCLUSION

Having implemented the three popular classical and new methods of Reversible Image watermarking, the algorithms has shown different embedding capacities. It is analyzed and concluded that out of three algorithms the LSB method has emerged as a better technique which is bit value based embedding with higher PSNR value. During the analysis and testing of various samples it is found that the *wavelet-based multiwavelet technique [the first method]* is best suited for compression attacks and robust using down sampling operation by a power of two.

But it has shown *very low PSNR value due to multi resolution nature and the results are depending on the Quality of the input cover image and the embedding image*. Computational complexity of DWT is more compared to the *Tian's difference-expansion technique [the second method]* which is a high-capacity reversible method for data/image embedding.

However, this *method suffers from undesirable distortion at low embedding capacities and has lack of capacity control due to the need for embedding a location map. Thus, it computes plenty of coefficients due to color componentization, but exhibits better PSNR value than the wavelet method.*

At last we had implemented *LSB Reversible watermarking method* which has become a highly desirable subset of fragile watermarking for sensitive digital imagery in application domains such as military and medical areas because of the ability to embed data with *zero loss of host information*. This reversibility enables the recovery of the original host content upon verification of the authenticity of the received content. The algorithm exploits the correlation inherent among the neighboring pixels in an image region using

a predictor. The prediction-error at each location is calculated and, depending on the amount of information to be embedded, locations are selected for embedding. Data embedding is done by expanding the prediction-error values. *LSB Algorithm exploits the redundancy in the image to achieve very high data embedding rates while keeping the resulting distortion low. Thus, LSB method show cases maximum PSNR value among the three algorithms.*

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